Discussion of "Firm Heterogeneity, Capital Misallocation, and Optimal Monetary Policy" by González, Nuño, Thaler, Albrizio

Bence Bardóczy^a

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^{*a*}The views expressed are my own and do not necessarily reflect those of the Board of Governors of the Federal Reserve System.

This paper

- Starting point: monetary expansion raises TFP. [Baqaee et al. 2021; Jordà et al. 2020...]
- Propose a specific mechanism in the context of a HANK model.
 - most productive firms are financially constrained
 - · loose money enables productive firms to expand
- Contribution 1: validate mechanism in Spanish micro data.
 - in companion paper Albrizio, González and Khametshin (2021)
- Contribution 2: characterize <u>no-shortcut</u> Ramsey policy.
 - zero inflation is optimal in steady state
 - new time inconsistency problem \implies gains from commitment
 - divine coincidence holds but requires more aggressive interest rate policy

1. Inspecting the mechanism behind endogenous TFP

- intuition
- robustness
- 2. Optimal policy
 - why is full-blown Ramsey hard?
 - context for results
- 3. Conclusion

Inspecting the mechanism

Inspecting the mechanism

- Key object is the marginal revenue product of capital (MRPK).
- RANK benchmark: MRPK equals the rental rate of capital. $MRPK_t = r_t^K$
- This HANK: MRPK is heterogeneous across firms.

$$MRPK_t(z) = \underbrace{z}_{\text{firm-level productivity}} \cdot \underbrace{\varphi_t}_{\text{avg MRPK}}$$

- z follows exogenous Markov process
- + φ_t is determined in equilibrium exactly as in RANK
- How is market clearing $r_t^{\mathcal{K}}$ determined in this setup?

(1)

The market for capital and TFP



The market for capital and TFP



- production capacity is constrained by net worth
- $r_t^{\mathcal{K}}$ falls until enough firms start producing

The market for capital and TFP



- production capacity is constrained by net worth
- r_t^{κ} falls until enough firms start producing
- $MRPK_t(z_t^*) = r_t^K$ holds only for the marginal firm
- Aggregate TFP = average z weighted by <u>net worth shares</u>

Evolution of net worth shares

• Discrete time law of motion:

$$Q_{t}a_{it} = \left[\underbrace{\gamma\left(MRPK_{t}(z_{it}) - r_{t}^{K}\right)}_{\text{excess return on capital}} + \underbrace{r_{t}^{K} + (1 - \delta)Q_{t}}_{\text{return on net worth}}\right]a_{it-1}$$
(2)

• γ is leverage constraint, Q_t is capital price, δ is depreciation

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- γ is leverage constraint, Q_t is capital price, δ is depreciation
- Recall that marginal revenue product of capital is

$$MRPK_t(z_{it}) = \underbrace{z_{it}}_{\text{firm-level productivity}} \cdot \underbrace{\varphi_t}_{\text{avg MRPK}}$$

• Insight: Aggregate TFP is endogenous bc average MRPK is endogenous.

(3)

Monetary policy and MRPK



• Avg MRPK depends on product price and non-capital costs:

$$\varphi_t = \alpha \left(\frac{1-\alpha}{w_t}\right)^{\frac{1-\alpha}{\alpha}} m_t^{\frac{1}{\alpha}}$$
 (4)

Monetary policy and MRPK



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 (4)

• TFP channel is **robust** feature of any model where monetary easing raises φ_t .

Optimal policy

Why is full-blown Ramsey policy so hard in HA models?

- The most powerful HA solution methods proceed in two steps.
 - 1. deterministic steady state
 - 2. perturbation around steady state

small nonlinear problem large linear problem

- Think of this as the Archimedean principle of HA macro.
- Steady state and dynamics are **inseparable** in Ramsey problem.
 - $\rightarrow \,$ large nonlinear problem

Social utopia and optima

- W is welfare function, θ is policy instrument, **X** is endogenous variables.
- **Utopian steady state** policy is the <u>scalar</u> θ^* that solves

$$\max_{\boldsymbol{\theta}} W(\boldsymbol{\theta}, \mathbf{X}) \quad \text{s.t. } \mathbf{H}(\boldsymbol{\theta}, \mathbf{X}) = \mathbf{0}$$
(5)

• **Optimal steady state** policy is the <u>limit</u> of $\{\theta_t^*\}$ that solves

$$\max_{\{\theta_t\}_{t\geq 0}} \sum_{t=0}^{\infty} \beta^t W_t(\theta_t, \mathbf{X}_t) \quad \text{s.t. } \mathbf{H}_t(\theta_t, \mathbf{X}_t) = 0 \quad \forall t \geq 0$$
(6)

• **Optimal policy response** to shock $\{Z_t\}$ is the path $\{\theta_t^*\}$ that solves

$$\max_{\{\theta_t\}_{t\geq 0}} \sum_{t=0}^{\infty} \beta^t W_t(\theta_t, \mathbf{X}_t, Z_t) \quad \text{s.t. } \mathbf{H}_t(\mathbf{X}_t, \theta_t, Z_t) = 0 \quad \forall t \geq 0$$
(7)

Optimal policies and how to find them

- This paper does optimal policy—not utopia—in HANK.
 - competitive equilibrium $\mathbf{H}_t(\mathbf{X}_t, \theta_t, Z_t) = 0$ depends on distribution of net worth shares
- How do they do it?
 - no tricks, very efficient implementation of (6) and (7)
 - + continuous time is not black magic: linear interpolation \approx time derivatives
 - curse of dimensionality²: time horizon \times idiosyncratic state space
- Optimal steady state policy is zero inflation.
- **Optimal policy response** to a discount factor shock $\{Z_t\}_{t\geq 0}$ is full price stabilization.
 - $\rightarrow~$ divine coincidence

Context for heterogeneity and optimal policy

- Considerations for optimal policy. [Dávila and Schaab 2021]
 - 1. aggregate efficiency
 - 2. risk sharing (equalize marginal utility across periods and states)
 - 3. redistribution (equalize marginal utility across households)
- Addressing considerations 2. and 3. requires heterogeneous households.
 - · divine coincidence fails generically in richer environments

Conclusion

Conclusion

- Exciting and ambitious paper!
 - brings rich micro data to support an intuitive HA mechanism
 - · sophisticated template to compute full-blown Ramsey policy
- Optimal policy HANK \approx RANK. Not to be taken out of context.
 - no redistributive or risk sharing considerations
 - question: have you looked at asymmetry between positive and negative shocks?
- Follow-up work could refine quantitative predictions.
 - TFP responds much more to monetary policy in models with markup heterogeneity and production networks. [Cienfuegos and Loria 2017; Baqaee et al. 2021]
 - is the capital misallocation channel important?
 - heterogeneous returns to scale, depreciation, financial constraints, and endogenous entry/exit could amplify the channel; exploit rich Spanish data to discipline them

References

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